

```

display (med_rect); med_tooth=mean(xtooth); display (med_tooth)
disp ('Sequences minimum');
min_sin=min(xsin); display (min_sin); min_rect=min(xrect);
display (min_rect); min_tooth=min(xtooth); display (min_tooth)
disp ('Sequences maximum');
max_sin=max(xsin); display (max_sin); max_rect=max(xrect);
display (max_rect); max_tooth=max(xtooth); display (max_tooth)
disp ('Sequences standard deviation');
ds_sin=std(xsin); display (ds_sin); ds_rect=std(xrect);
display (ds_rect); ds_tooth=std(xtooth); display (ds_tooth)

```

In the command window:

```

Sequences mean
  med_sin =      0
  med_rect =      0
  med_tooth = -1.0000e-001
Sequences minimum
  min_sin = -9.5106e-001
  min_rect =     -1
  min_tooth =     -1

```

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Sequences maximum
  max_sin = 9.5106e-001
  max_rect =      1
  max_tooth = 8.0000e-001
Sequences standard deviation
  ds_sin = 7.2548e-001
  ds_rect = 1.0260e+000
  ds_tooth = 5.8938e-001

```

## 2.4 Exercises

1. Generate and graph the ramp sequence, with initial value 0 and final value 100, of length 20:  $x(n) = \frac{100}{19}n$ ,  $n = \overline{0, 19}$ .
2. Plot the discrete sequence, of length 20:

$$x(n) = \begin{cases} \sin(0.2n), & n > 10, \\ 0, & n \leq 10. \end{cases}$$

3. Generate the complex sequence, of length 50:

$$x(n) = \exp \left[ -0.1n + j \left( 2\pi 0.1n + \frac{\pi}{4} \right) \right].$$

Plot the sequence attenuated by sine, respectively by cosine functions:

$$x_1(n) = e^{-0.1n} \sin \left( 2\pi 0.1n + \frac{\pi}{4} \right); \quad x_2(n) = e^{-0.1n} \cos \left( 2\pi 0.1n + \frac{\pi}{4} \right).$$

4. Graph the sequence  $x(n) = 3 \sin(4\pi n) + 2 \cos(0.72\pi n)$ ,  $n = \overline{0, 100}$ . Is this sequence periodic? If yes, which is the period?
5. Graph the attenuated sine sequence of length 100, given by:

$$x(n) = \begin{cases} \frac{\sin(0.1n)}{0.1n}, & n \neq 0, \\ 1, & n = 0. \end{cases}$$

6. Generate 16 periods of a periodic sequence; every period consists in 5

samples of 1 and 10 samples of 0.

7. Generate three sinusoidal sequences of different amplitude, frequency and phase and plot them simultaneously on the screen (minimum one period).
8. Generate and graph a rectangular sequence and a sawtooth one having 15 samples per period. You have to represent graphically 5 periods.
9. Generate and plot next sequences:

$$x_1(n) = \begin{cases} n(2-n), & n = \overline{-5, 10} \\ 10, & \text{otherwise} \end{cases} \quad n = \overline{-10, 20};$$

$$x_2(n) = \begin{cases} \sum_{i=0}^8 a(n-2i), & 0 \leq n \leq 10 \\ 50, & \text{otherwise} \end{cases} \quad n = \overline{0, 15},$$

$$a = \begin{cases} n+3, & n = \overline{0, 5} \\ 0.5, & \text{otherwise} \end{cases}$$

10. Generate 101 samples of a ramp sequence with the initial value 0 and the increment equal by 0.01. Plot this sequence between 20 and 30.

*Hint:* For plotting this sequence you can use: `stem(20:30, x(21:31))` assuming that the generated sequence was denoted by `x`.

11. Generate an uniformly distributed random sequence, between 0 and 10. Plot this sequence for  $n = \overline{0, 49}$ .

*Hint:* To generate an uniform distributed random sequence on a specified interval  $[a, b]$ , you have to multiply the output of `rand` function by  $(b-a)$ , and then to add  $a$ . In the case of this example  $a = 0$  and  $b = 10$ .

12. Generate a normally distributed random sequence (Gaussian), between 0 and 10. Graph this sequence for  $n = \overline{0, 49}$ .

*Hint:* This sequence has a specific mean equal by 5 and a variance equal by 5. To generate a Gaussian sequence with these parameters multiply the output of `randn` function by the value of the standard deviation ( $\sqrt{5}$ ) and then add the desired mean (5).

13. Plot using `stem` function, the sequence obtained by summing a sinusoid with an uniform noise with the amplitude 10 times lower.
14. Create a MATLAB function to generate the values corresponding to a finite length sinusoidal sequence. The function must have 5 input arguments: 3 for the sinusoid's parameters and 2 to specify the first and the last index of the finite sequence.

*Hint:* `function seq = gensin(ampl, freq, phase, ninit, nfin)`

Use the created function in a script to evaluate the minimum, the maximum, the mean and the standard deviation of a sinusoidal sequence with next parameters: `ampl = 1.5`, `freq = 1/15`, `phase = pi/6`, `n = 0:50`.

15. Modify the previously generated function, to return 2 output arguments: a vector that contains the sequence's values and a vector with the sequence's indices.

*Hint:* `function [seq, n] = gensin1(ampl, freq, phase, ninit, nfin)`

16. Generate and plot the next sequences (abscissa  $n$  must include only the indicated range):

$$x_1(n) = 0.5\delta(n), \quad n = \overline{-5, 10}; \quad x_2(n) = 0.8\delta(n - 5), \quad n = \overline{-5, 10};$$

$$x_3(n) = 2u(n), \quad n = \overline{-20, 20}; \quad x_4(n) = 1.5\delta(n + 80), \quad n = \overline{-90, 0};$$

$$x_5(n) = 1.5u(n - 9), \quad n = \overline{-9, 20};$$

$$x_6(n) = 2.5u(n + 6), \quad n = \overline{-15, 9};$$

$$x_7(n) = 2.2 \sin\left(2\pi 0.1n + \frac{\pi}{4}\right), \quad n = \overline{0, 49};$$

$$x_8(n) = 1.5 \sin\left(\frac{\pi}{4}n + \frac{\pi}{3}\right), \quad n = \overline{0, 20};$$

$$x_9(n) = 2 \cos\left(\frac{\pi}{\sqrt{5}}n + \frac{\pi}{6}\right), \quad n = \overline{-20, 20};$$

$$x_{10}(n) = \exp(3n), \quad n = \overline{0, 9}; \quad x_{11}(n) = (-3)^n \sin\left(\frac{\pi}{8}n\right), \quad n = \overline{0, 20};$$

$$x_{12}(n) = 10 \sin\left(2\pi 0.1n + \frac{\pi}{6}\right), \quad n = \overline{0, 20};$$

$$x_{13}(n) = 1.2\delta(n + 5) + 1.3[u(n) - u(n - 20)], \quad n = \overline{-15, 25};$$

$$x_{14}(n) = \ln\left|\sin\left(\frac{\pi}{10}n\right) - \cos\left(\frac{\pi}{10}n\right)\right|, \quad n = \overline{-20, 20}.$$

17. Generate and plot the sequences of length 100:

$$x_1(n) = \delta(n) - \delta(n - 5); \quad x_2(n) = u(n - 5);$$

$$x_3(n) = n[u(n) - u(n - 10)]; \quad x_4(n) = \exp[(-0.2 + j0.3)n];$$

$$x_5(n) = n[u(n) - u(n - 10)] + \exp[(-0.2 + j0.3)n];$$

$$x_6(n) = n[u(n) - u(n - 10)] + \exp(0.3n)[u(n - 10) - u(n - 20)].$$

18. Add an uniformly distributed random sequence of mean 0 and maximum amplitude 0.2, to the 100 length sequences, generated at exercise 17.

19. Repeat exercise 18, for a Gaussian sequence of mean 0 and variance 0.1.